

Dynamo-action in massive stars: from the PMS to the TAMS

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Statistical characteristics of the Magnetic fields

Observations of circular polarization give only values of B_l . These values strongly depends on the rotational phase and can not be used for the statistical analysis.

We use 3 characteristic of magnetic field weakly depending on the dates of observations

$$\langle B \rangle = \sqrt{\frac{1}{n} \sum_{i=1}^n (B_l^i)^2}$$

RMS magnetic field

Statistical investigation is the key of understanding the nature of the OB stars magnetic field

$$\sigma_B = \sqrt{\frac{1}{n-1} \sum_{i=1}^n (B_l^i)^2}$$

Mean error of the magnetic field

$$\chi^2 / n = \frac{1}{n} \sum_{i=1}^n (B_l^i)^2 / (\sigma_{B^i})^2$$

reduced χ^2 statistics

$|B| > 3\sigma_B$ for at least one measurement

$$\Rightarrow \begin{cases} \langle B \rangle > 2\sigma_B, \\ \chi^2 / n > 1 \end{cases}$$

Criteria of real measurements

CPD-28 2561: $\langle B \rangle = 239 \Gamma c$, $\sigma_B = 93 \Gamma c$, $\chi^2/n = 5$

Sources of the magnetic field data

O star observations with FORS and HARPS: MAGORI PROJECT

Aims:

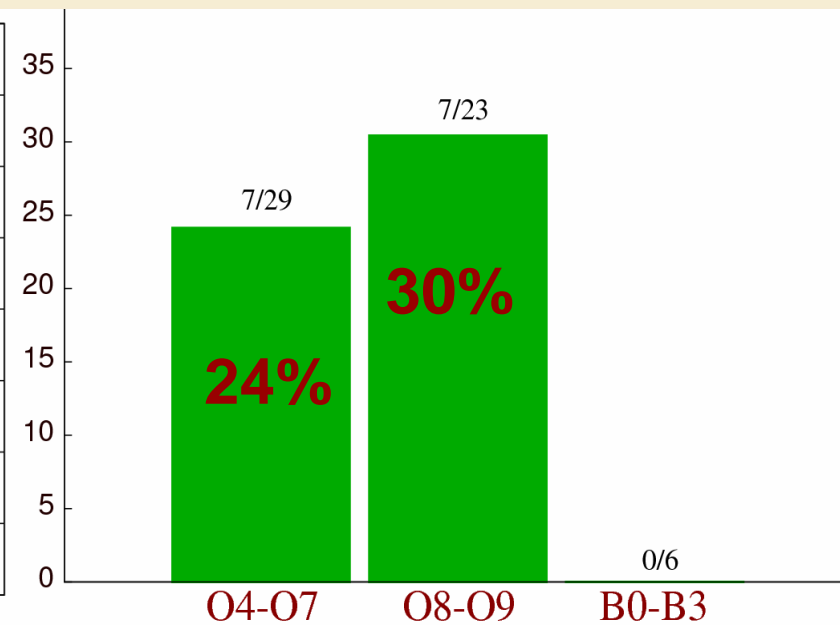
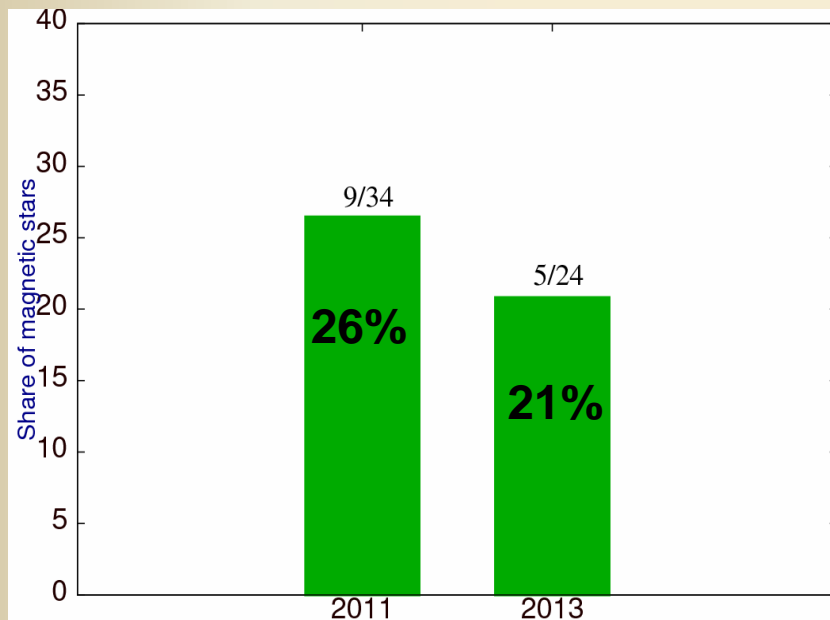
To investigate statistically whether magnetic fields in massive stars are ubiquitous or appear only in stars with a specific spectral classification, certain ages, or in a special environment.

Telescopes and Spectrographs

VLT, 8-m Antu + 3.6 m ESO
FORS2+HARPS, NOT

Results for OB stars:

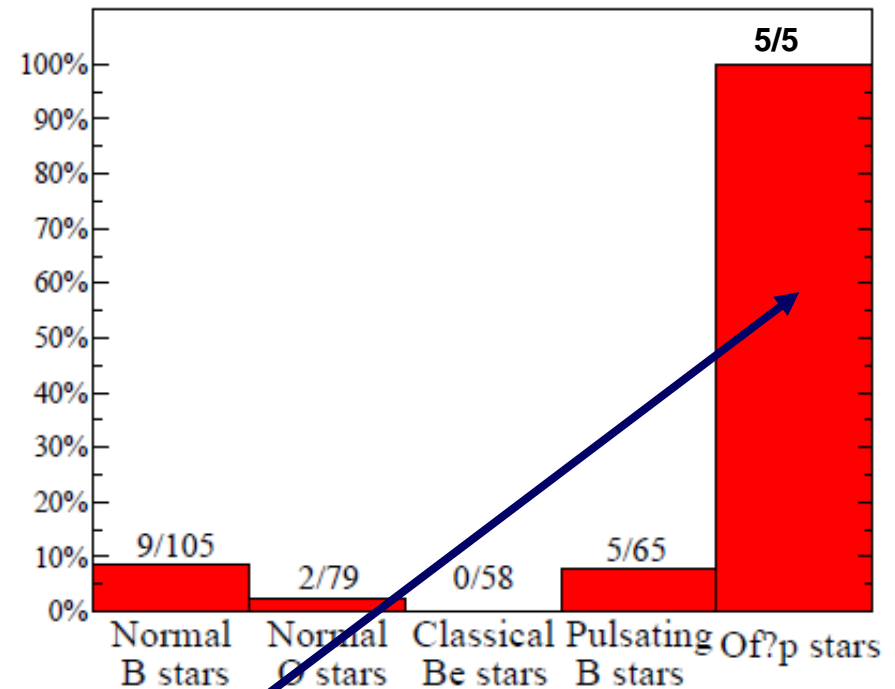
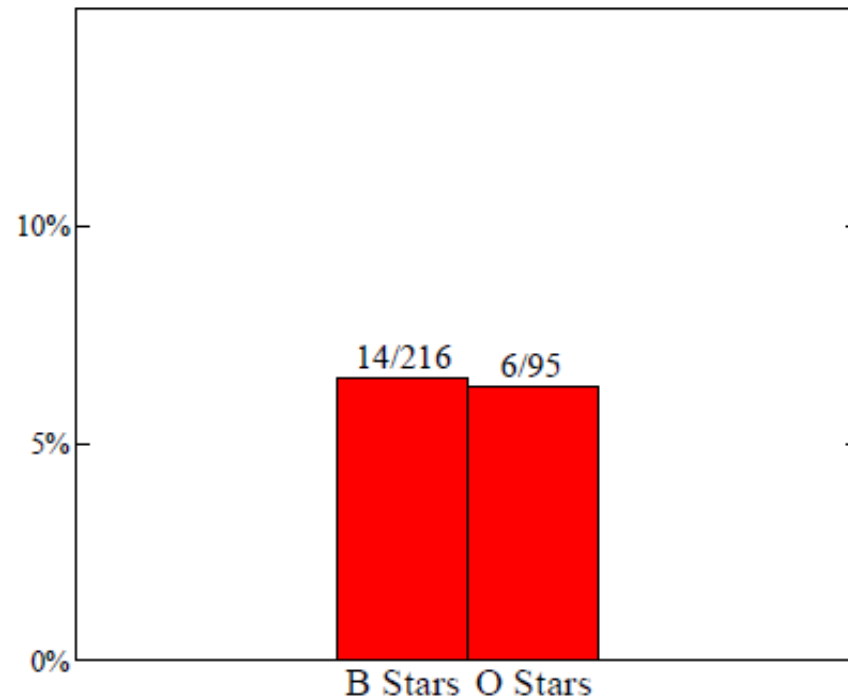
In 2011 + 2013 65 stars > 100 spectra. Magnetic field at 3σ level was detected for **14 O stars**, including two Of?p stars.



Hubrig et al. (2011, 2013)

Project MIMES: Magnetism in Massive Stars

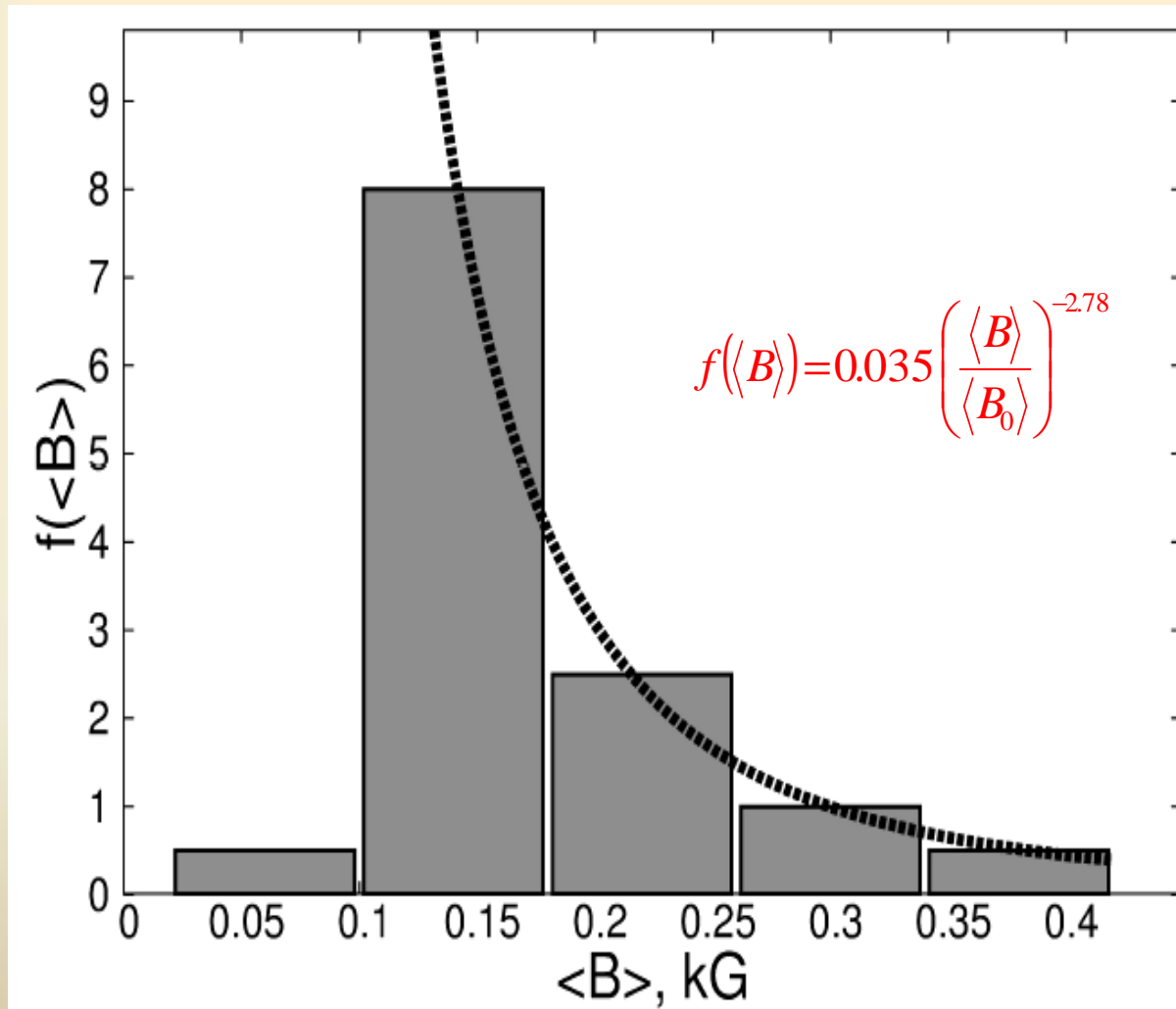
Head of the Project: Gregg Wade, Canada



for two Of?p stars (HD 148937 and CPD -28 2561) magnetic fields have been detected by the **MAGORI** group

http://www.physics.queensu.ca/~wade/mimes/MiMeS__Magnetism_in_Massive_Stars.html

Magnetic field distribution for O stars

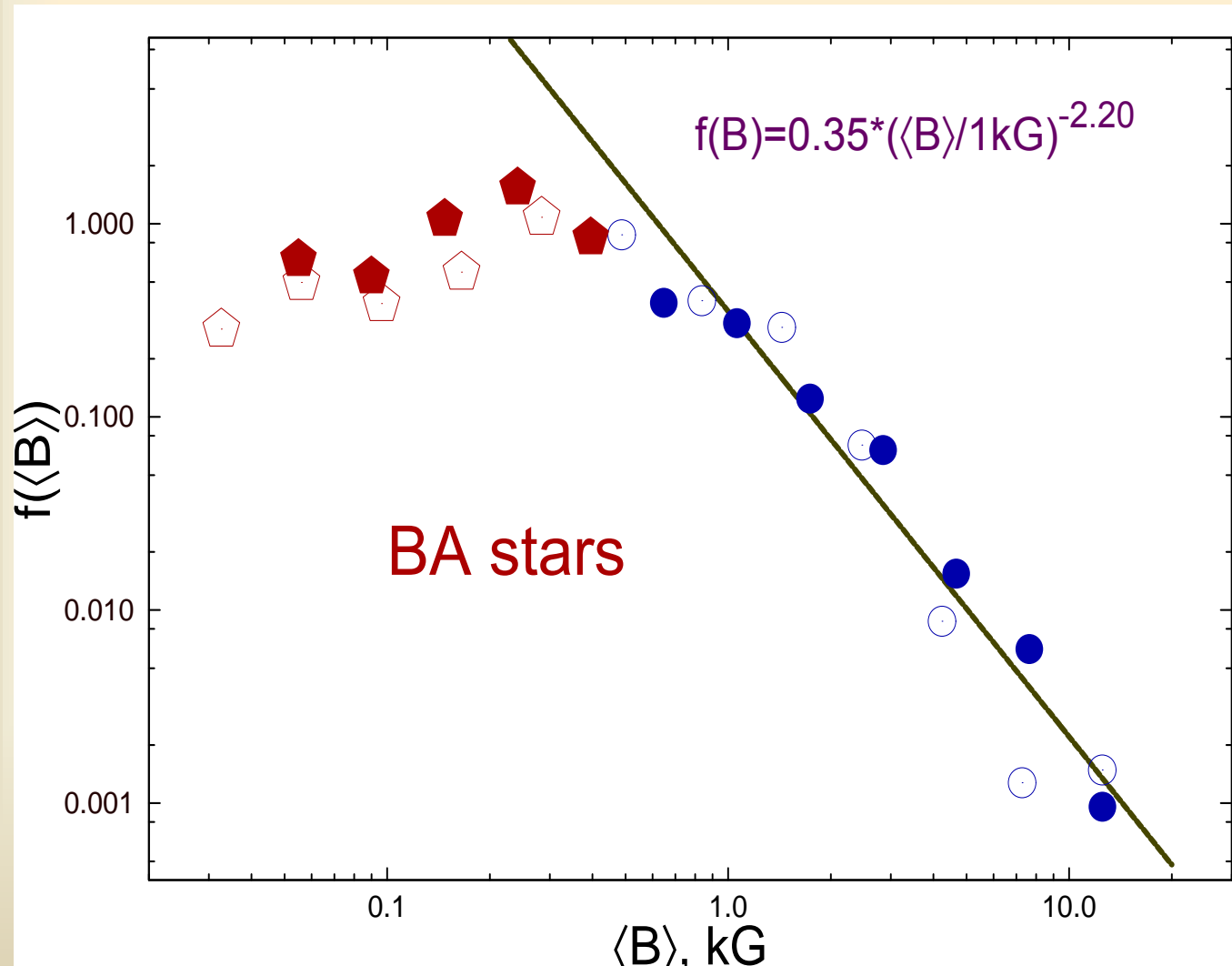


$$f^{obs}(B) = \frac{N(\mathbf{B}, \mathbf{B} + \Delta\mathbf{B})}{N_0 \Delta\mathbf{B}}$$

$$f(\langle B \rangle) = A_0 \left(\frac{\langle B \rangle}{\langle B_0 \rangle} \right)^{-\gamma}$$

The number of data is small ~ 10-20 stars

Magnetic field distribution for BA stars: first glance

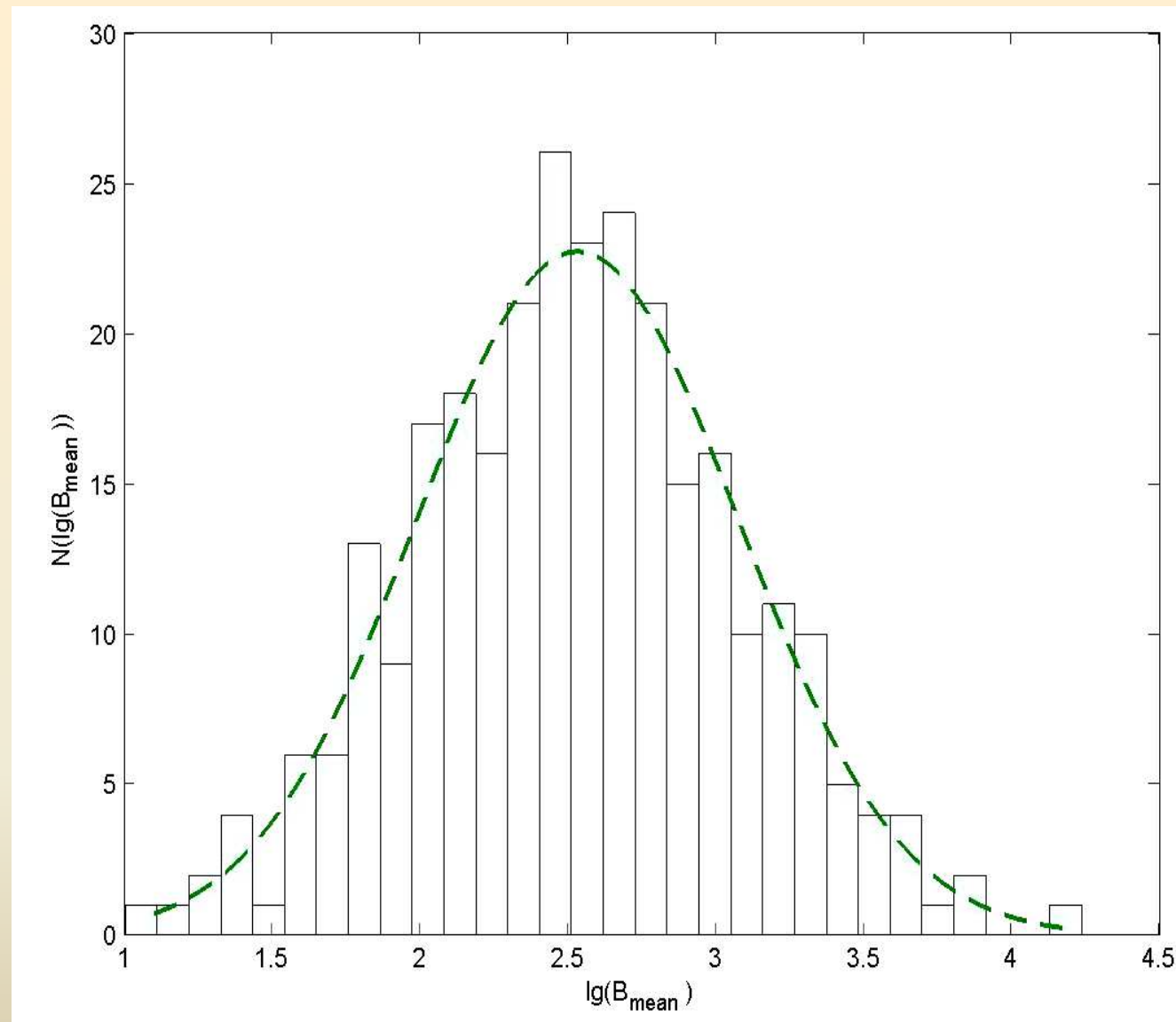


Magnetic field distribution for B (empty) and A (filled) symbols accordingly.

Power approximation is shown with a dashed line. Pentagons mark data in the region $\langle B \rangle < 300 \text{ G}$.

*Is the gap at $\langle B \rangle < 0.3 \text{ kG}$ (magnetic desert) real?
Probably not!*

Magnetic field distribution for BA stars: the second view



Changing
paradigm:
Log-normal
distribution
instead of
power law

We use only
data from
Bychkov (2009)
catalog

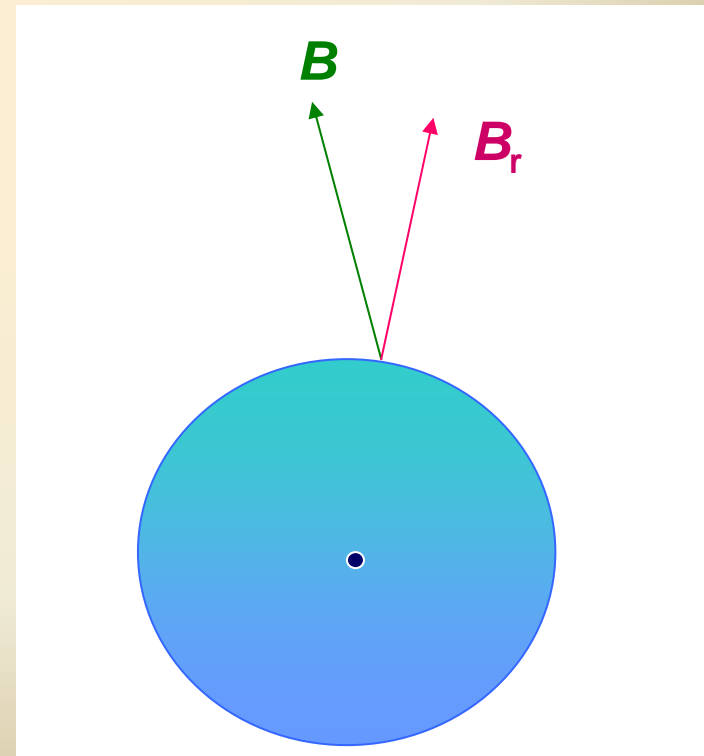
There is NO of the magnetic desert

From Magnetic Fields to Magnetic *fluxes*

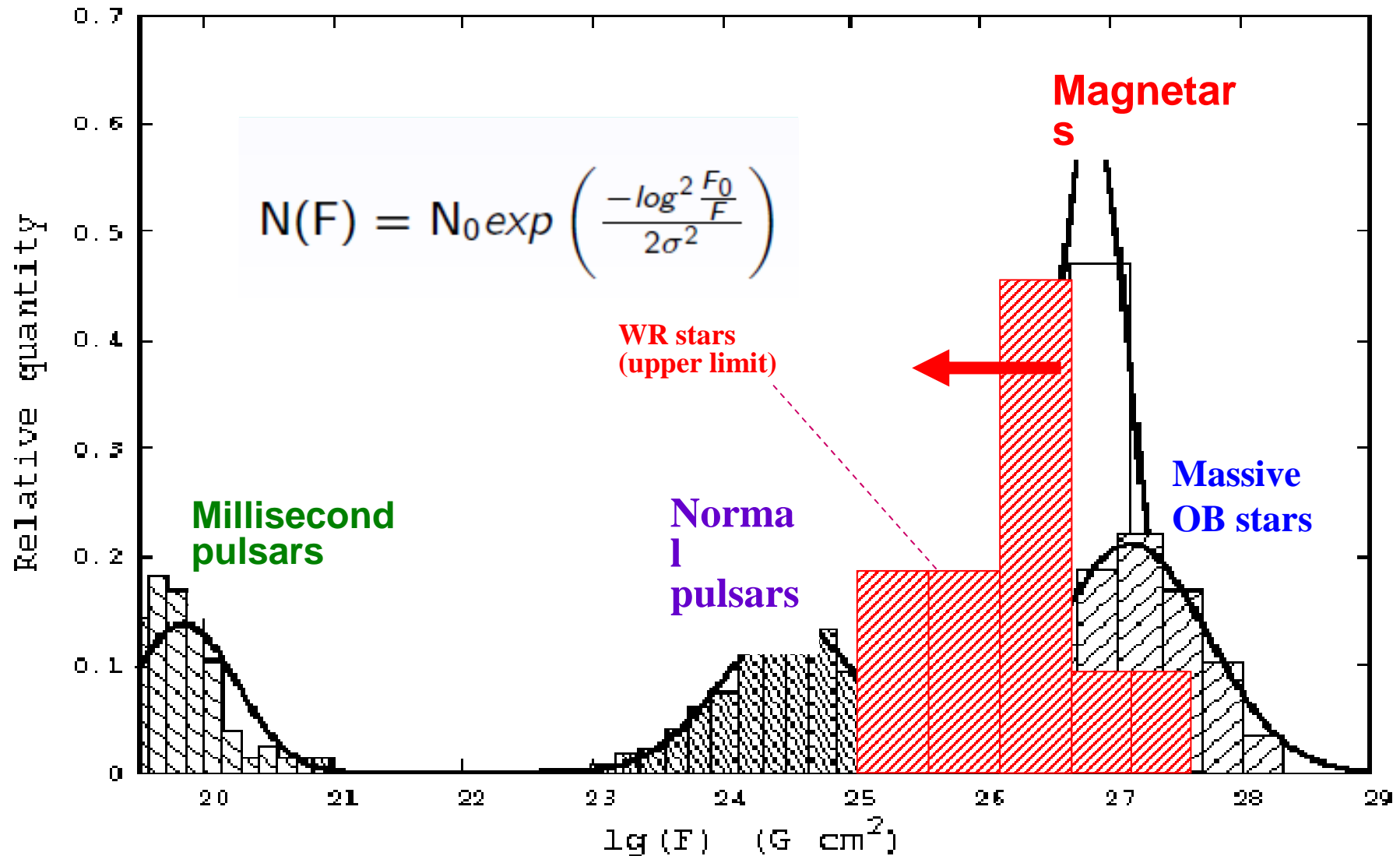
Magnetic *pseudo-fluxes* of massive stars

$$F = R_*^2 \int_{-\pi}^{\pi} \int_0^{\pi} |B_r| \sin\theta d\theta d\varphi$$

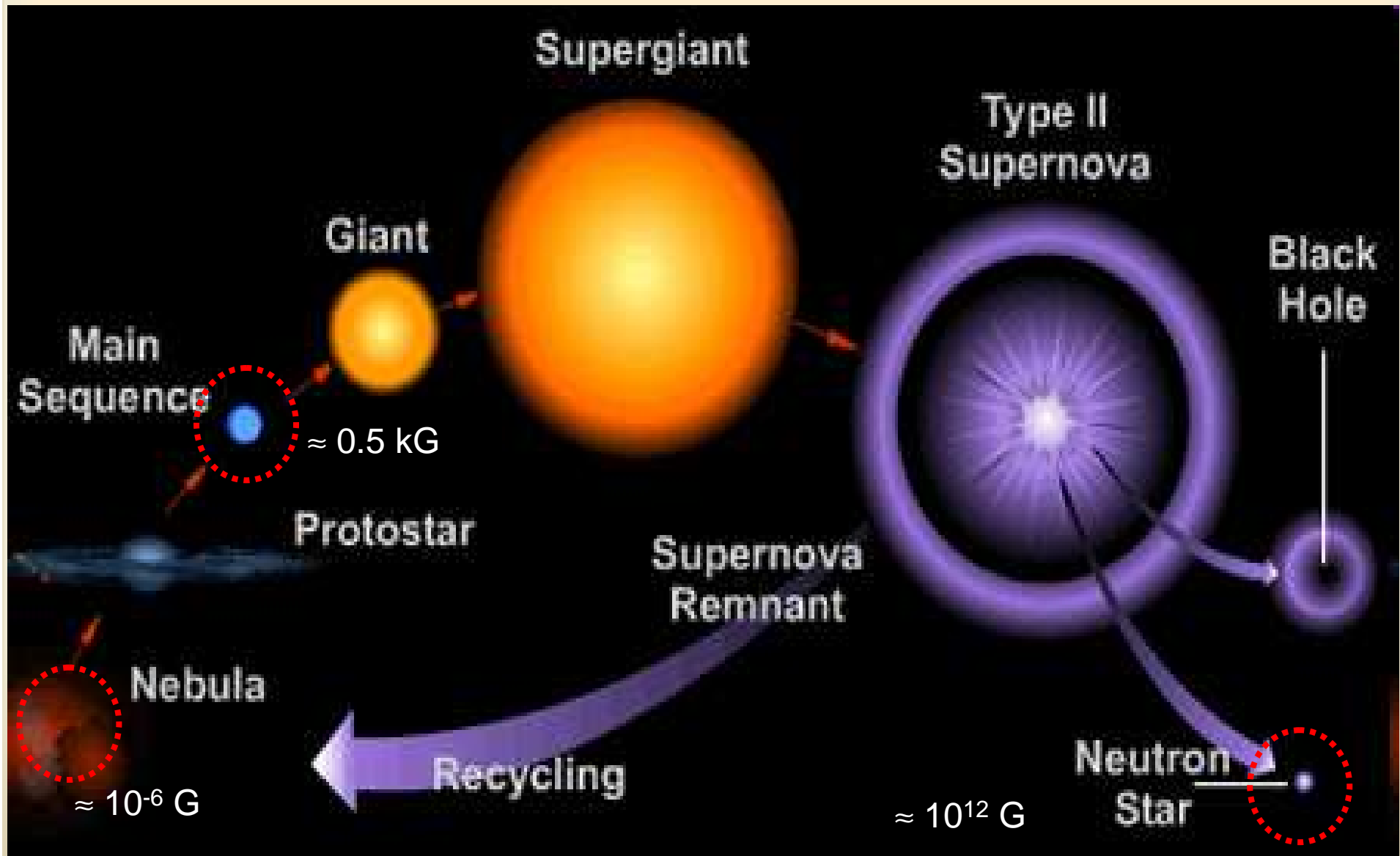
$$F \approx 4\pi \langle B \rangle R_*^2$$



Magnetic pseudo-flux distribution for massive OB stars WR stars, pulsars and magnetars

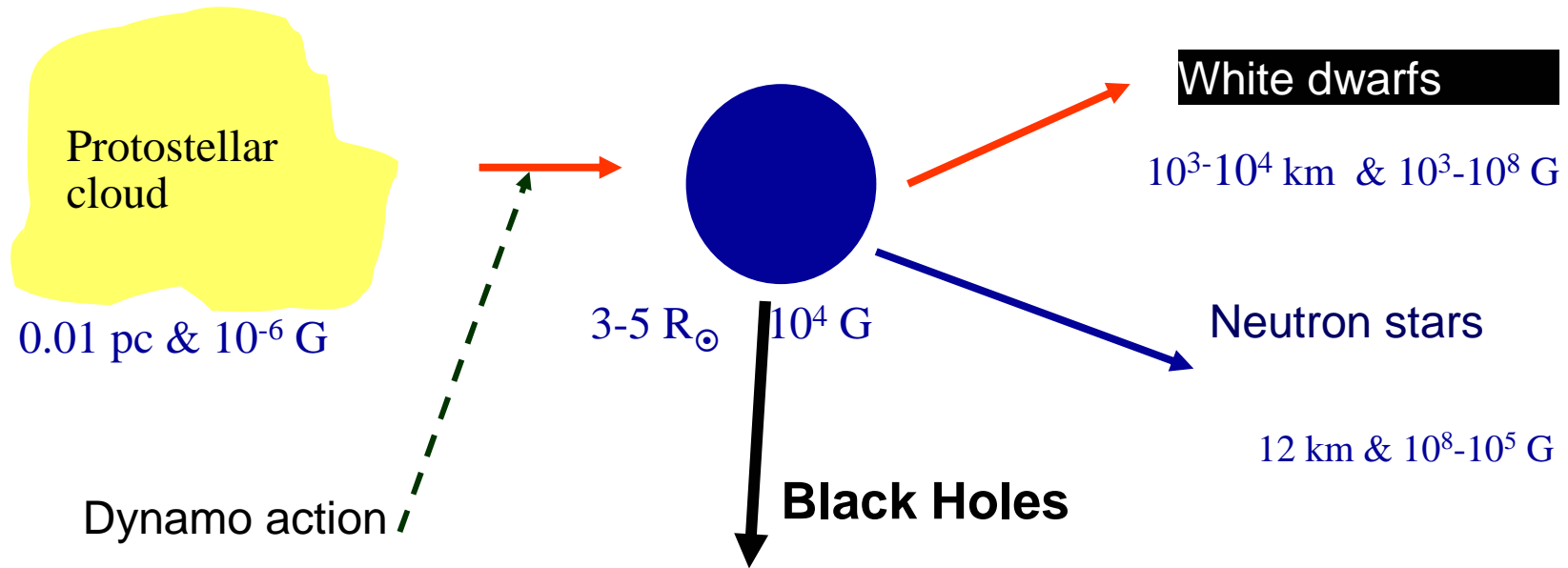


The general scheme of the massive stars and **their magnetic field** evolution



Stages of evolution, about which we know the typical values of the magnetic field **are marked**

The general scheme of the magnetic field generation for massive stars



$$F = 4\pi R^2 \langle B \rangle = \text{const}$$

$$\frac{B_1}{B_2} = \frac{R_2^2}{R_1^2}$$

Our new population synthesis code

We create an ensemble of massive stars on the main sequence in order to obtain mass, age, radius distributions of these stars based on the **AMUSE** platform

Initial distribution of magnetic fluxes

$$f(\Phi_0) = \frac{1}{\Phi_0 \sqrt{4\pi\sigma^2}} \exp \left\{ -\frac{1}{2} \left(\frac{\log \Phi_0 - \langle \log \Phi_0 \rangle}{\sigma} \right)^2 \right\}$$

Magnetic flux evolution

$$\Phi_i = \Phi_{0,i} e^{-\tau_i / \tau_d}$$

τ_d is the dissipation parameter. $\tau_i = t / \tau_{\text{MS}}$

Magnetic flux and rms magnetic field

$$B_{\text{rms}} = \frac{\Phi_i}{4\pi R_i^2}$$

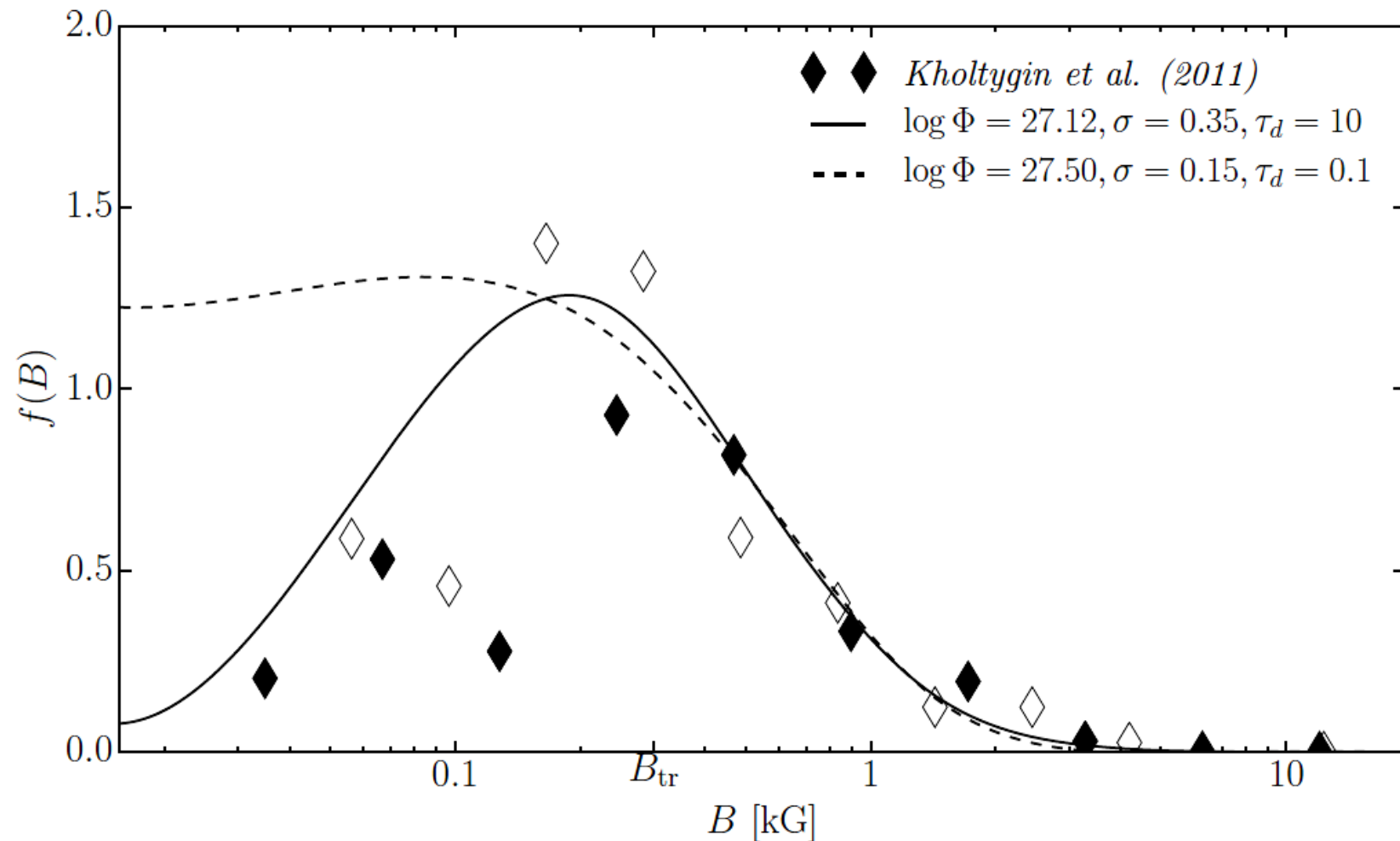
• Also we introduce a threshold value of the magnetic field $B_{\text{min}} \sim 300 \text{ G}$ (Auriere et al. 2007) as an optional parameter.

- Dissipation parameter derived from observations is about 0.1
- In that case a magnetic field distribution would be highly asymmetric.
- Observational data is incomplete, more data is needed

$$f_1 = N_{\text{magn}} / N_{\text{nomagn}} \text{ (at ZAMS)}$$

$$f_2 = N_{\text{magn}} / N_{\text{nomagn}} \text{ (at the present time)}$$

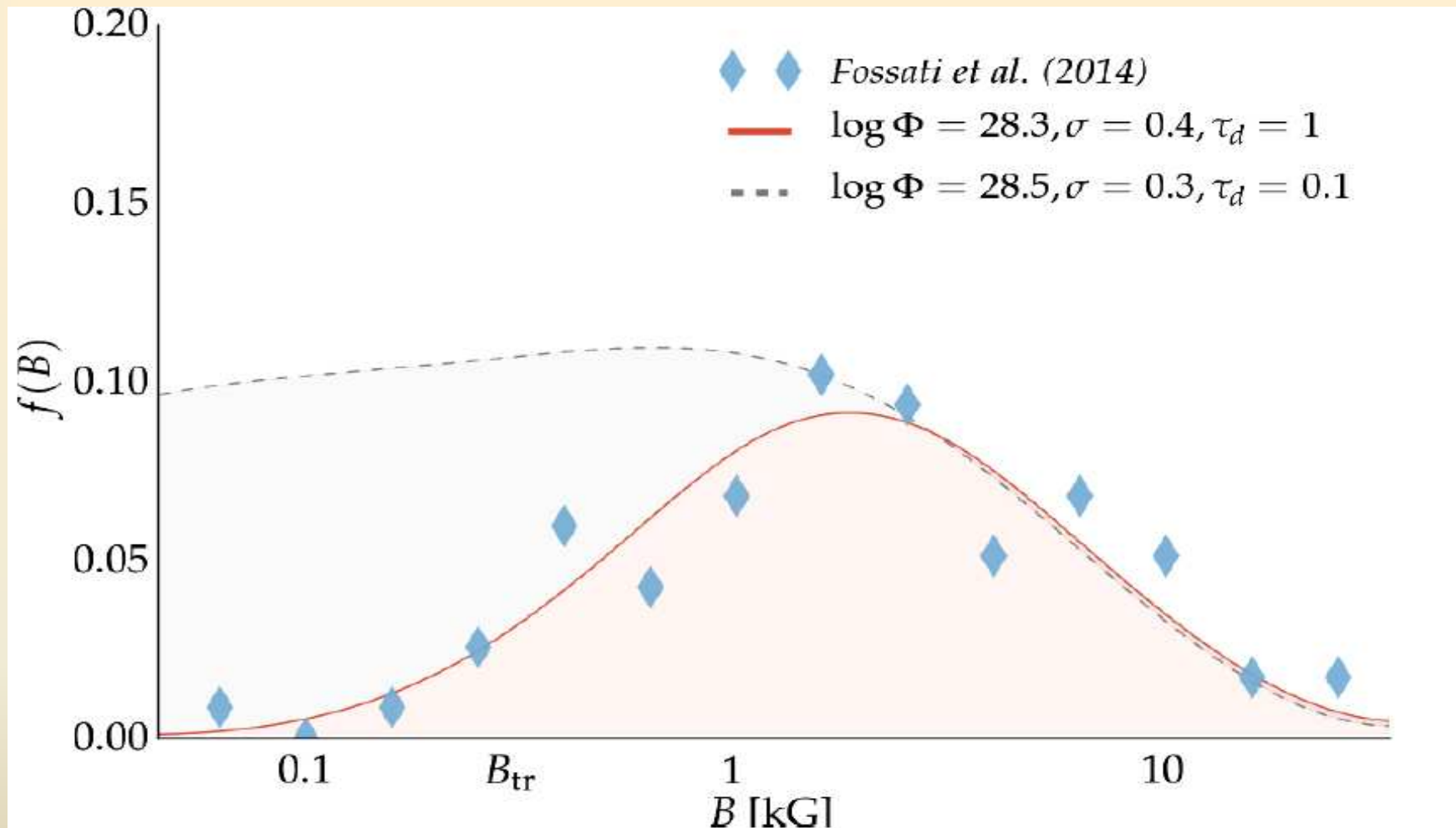
Common distribution function for AB stars



$f_1 = 30\%$ $f_2 = 10\%$

It means that $2/3$ of AB are non-magnetic at ZAMS

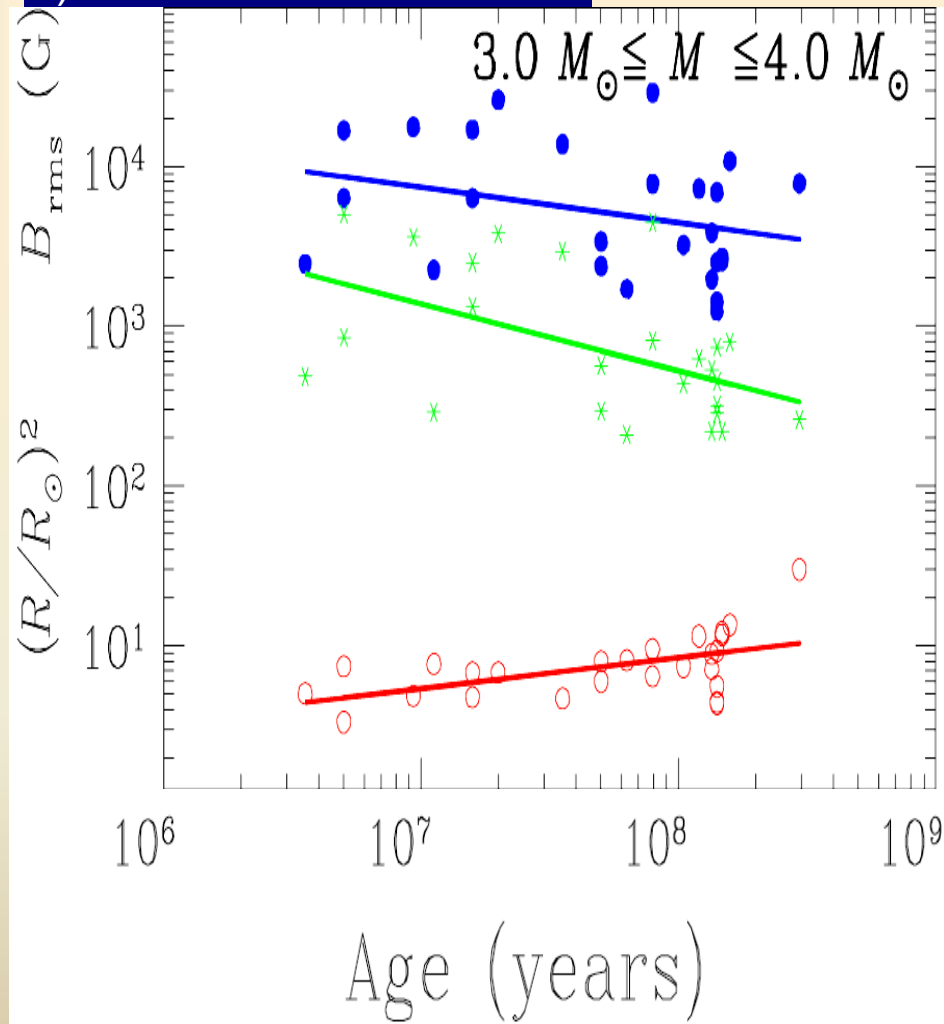
Distribution function for OB stars



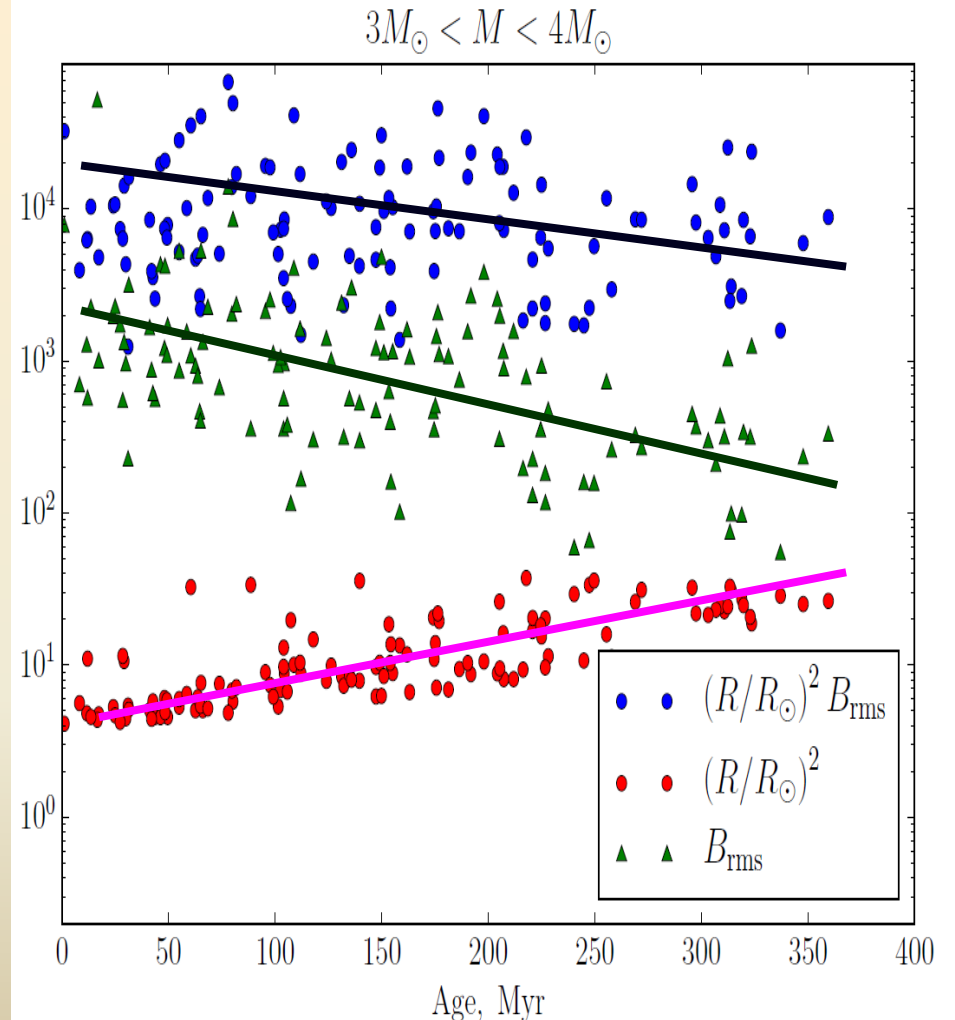
Fraction of magnetic stars is significantly higher if we assume that $B_{\text{th}} = 300 \text{ G}$. Then if $f_1 = 90\% \Rightarrow f_2 = 30\%$

Evolution of the magnetic fields and magnetic fluxes for stars with masses in the interval [3,4] solar masses

A) MF measurements



B) Model



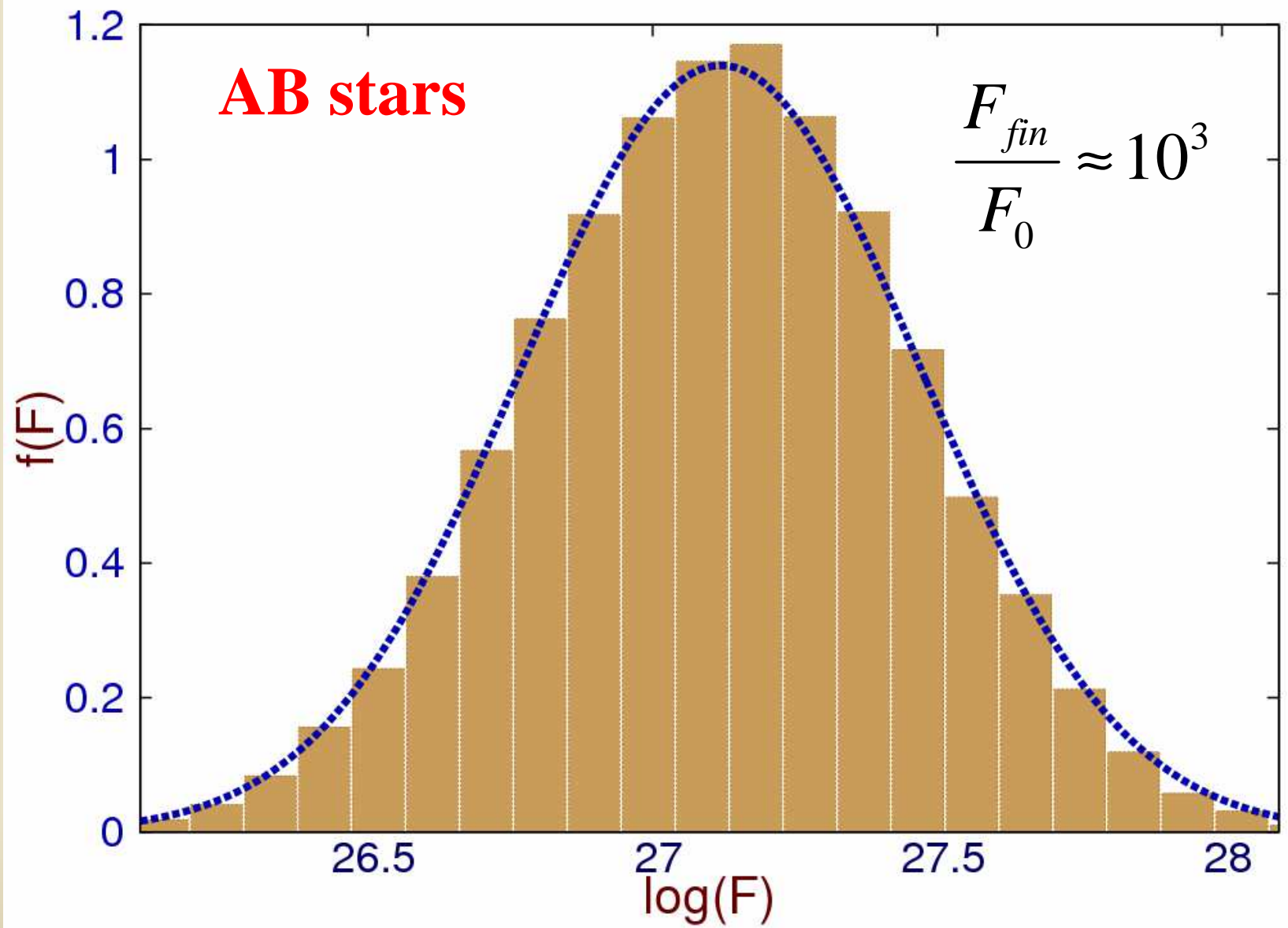
Landstreet et al. (2007)

What happens before ZAMS

Toy model of the magnetic field and magnetic flux generation by dynamo-action

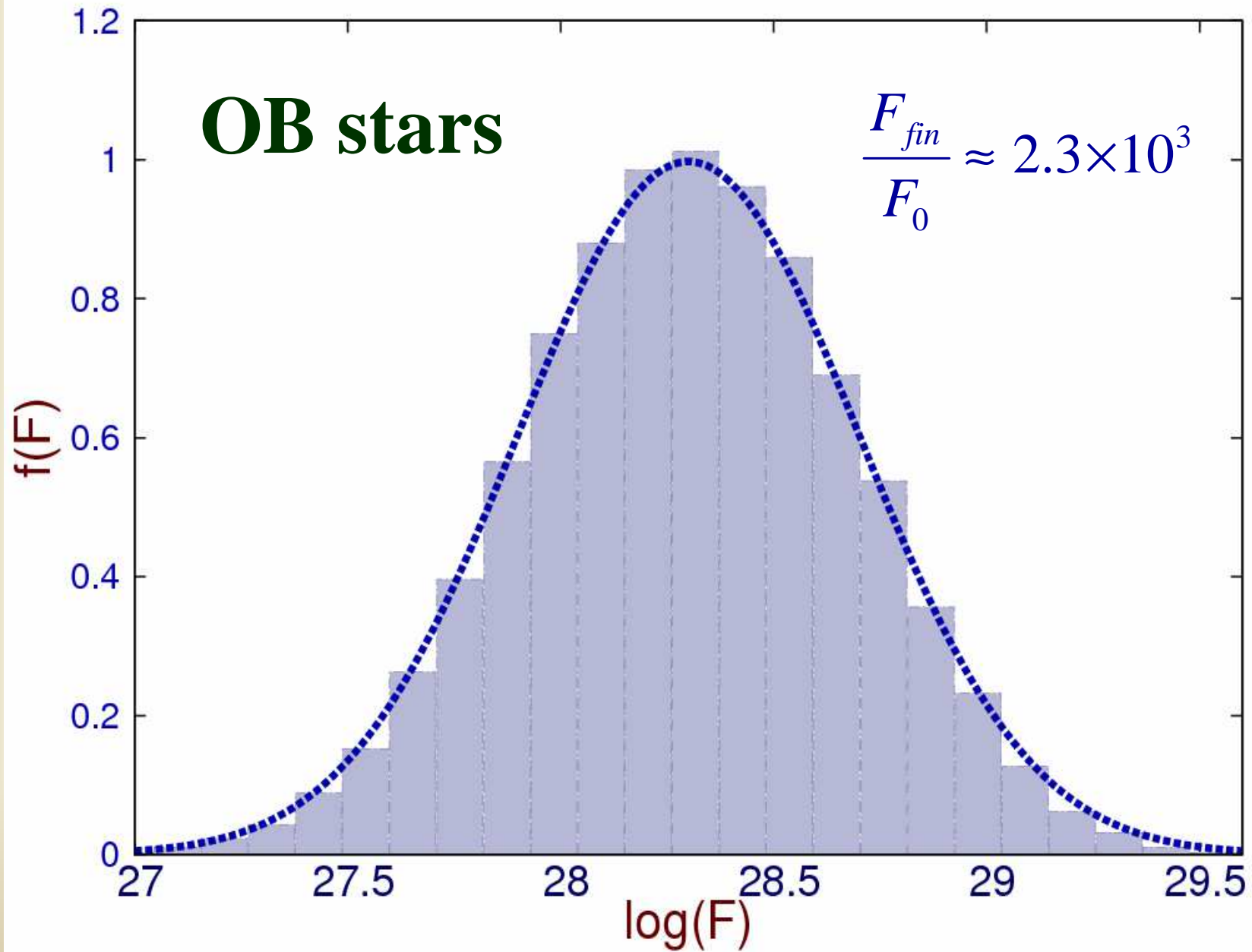
- All stars have the equal initial magnetic flux F_0
- **Magnetic field** is generated during the N cycles
- $B_{\text{fin}} = B_0 * \alpha_1 * \alpha_2 * \dots * \alpha_N$
- α_i – is the uniformly distributed random variable in an interval $[a, b]$
- **Magnetic flux** $F_i = 4\pi R_i^2 B_i$, R_i is the stellar radius at the cycle i ,
- $F_{\text{fin}} = F_0 * \beta_1 * \beta_2 * \dots * \beta_N$, where $\beta_{i+1} = \beta_i * (\alpha_{i+1} / \alpha_i) * (R_{i+1} / R_i)^2$
- $F_0 = B_0 * 4\pi R_0^2$

Parameters of the model: B_0 (or F_0), R_0 , a , b , N



Parameters of the model: $\log F_0 = 1.5 \cdot 10^{24} \text{ G} \cdot \text{cm}^2$, $a = 1.0$, $b = 1.85$, $N = 20$

OB stars



Parameters of the model: $\log F_0 = 8.8 \times 10^{24} \text{ G} \cdot \text{cm}^2$, $a = 1.0$, $b = 2.00$, $N = 20$

Conclusions

1. The magnetic desert for **OBA** does not exist.
2. We create a model which can describe the real distribution of massive star magnetic fields
3. Initial fraction (at ZAMS) of magnetic OB stars can be in the range from 30% to 90%
4. **The question remains** why only a small fraction of **OB** stars are magnetic remains unanswered